

**OPERATING INSTRUCTIONS**

**HALL EFFECT**



**SATISH BROTHERS**

4309/20, MARBLE HOUSE, PUNJABI MOHALLA  
AMBALA CANTT 133 001

Ph. 2642617, 2645237. Fax: 0171-2645237

## STUDY OF HALL EFFECT

The set up consists an electromagnet, a dc regulated power supply for said magnet, a calibrated gauss meter, the hall probe with electrical connections and a current source for the crystal with a 3 1/2 digit digital meter with switch selection to read hall probe current and hall voltage. A digital multimeter is required as another apparatus required.

The method of measuring electrical conductivity with temperature variation does not provide adequate informations since there is very much lag ( thermometer lag ), and unaccuracy involved. However the hall effect study of a specimen is useful to study the parameter called charge mobility and its effect is applied in several devices.

In fig 1, a semiconductor crystal is shown with its dimensions, where  $d$  is the thickness of crystal in Y axis, a constant current  $I$  flows through X direction called  $I_x$  and a magnetic field of  $B_z$  intensity is made by an electromagnet pole piece which develop proportional voltage in Z direction called as Hall voltage  $V_h$ .  $L_x$  is the length of the crystal between current tips in X direction From the above said the electron or hole movement ( depends upon the crystal nature ) through the magnetic field yield a force  $f = v \times B$  directed towards the near face create a surface charge of holes ( or electron ). An electric field  $V_z$  is established by this charge and equilibrium is reached when the electric field force the charge balance the magnetic force which is  $qV = q ( v \times B )$ , as diagrammed the electric field is directed on Z axis and  $V_z = V_x B_z$ , where the  $V_x$  is the potential across the X direction.

At equilibrium the ratio of electric field intensity per unit current density to the magnetic field intensity is defined as 'Hall coefficient'  $R_h$

$$R_h = \frac{V_z}{I_x} \times \frac{d}{B_z} \quad 10^4 \text{ met}^3 / \text{col}$$

## Hall effect - 2.

where  $V_z$  is the hall voltage measured as  $V_h$ ,  $d$ , is the thickness of given crystal .... mtr, and  $I_x$  is the current measured in X - direction,  $B_z$  is the magnetic field intensity measured in Gauss.

No. of charge carriers per unit volume in crystal ( concentration of hole in p - type and electron in n - type ) is found from the reciprocal of  $R_h$  given as

$$n = 1 / R_h \cdot e \quad \text{met}^{-3}$$

where  $e$  is the charge on electron given =  $1.6 \times 10^{-19}$  coul

The coordinate angle pronounced as 'Hall angle' is given as

$$\phi = \frac{V_h}{V_x} \times \frac{L_x}{b} \quad \text{rad}$$

where  $L_x$  ..... mtr and  $b$  is breadth in Z direction ..... mtr, and  $V_x$  is the voltage measured across the crystal in X direction.

The mobility is given as

$$m\mu = \phi / B_z \quad \text{rad met}^2 / \text{Web, where } 1\text{Web} = 10\text{Kgauss,}$$

While evident of charge mobility the Hall effect has also been applied as multiplier, to produce an output voltage propotional to the product of two signals. If  $I_x$  is made propotional to one signal and magnetic field density is propotional to other the product  $V_h$  will be propotional to the product of two. In other words if  $I_x$  is known and  $V_h$  is known than  $B$  can be measured.

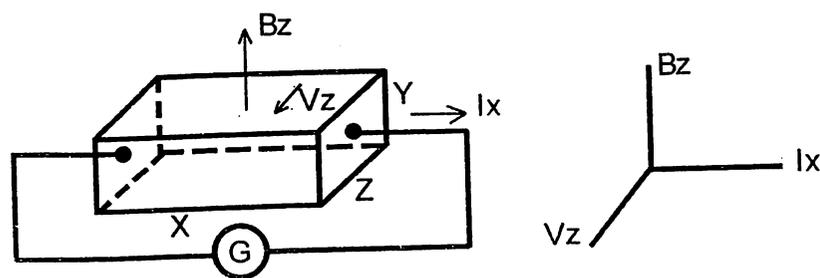


Fig 1.

Hall effect - 3.

Experiment procedure

Other apparatus required : a digital multimeter.

A. Calibration of electromagnet.

Connect the given electromagnet with given supply terminals. Switch on power.

1. Connect the given 'Hall probe\*' with the Gauss meter termination through 5 pin plug. Switch on power. Adjust Zero set control to read 0.00 in given display. leave zero set control. Slide the probe cover to lead side. Put the bared probe between pole pcs.
2. Increase supply current to 1 amps and bring it back to zero. there may be residual flux remains. Note it.
3. Now increase supply current in steps say 0.5, 1.00, 1.50, 2.00 and .... , note the corosponding magnetic field strength B from the gauss meter.
4. When supply current approach 4.00 amps, and corosponding B, is tabulated bring the supply current back to minimum.

Table 1.

Supply current (amp)	flux (K.gauss)
0.00 Amp	.....
0.50	.....
1.00	.....
1.50	.....
2.00	.....
.....	.....

5. From the table plot a curve between the magnetic field strength B, and supply current. Find out the slope of the curve in linear region for next computation.

\* Pen type.

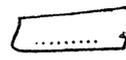
Hall effect - 4.

b. The Hall probe set up.

1. Now connect the given hall crystal (on strip) , with given set up, such that its green leads fasten with I terminals, and red with V terminals. The polarity does not matter. Select DISPLAY to mA mode.
2. Keep the I<sub>adj</sub> control at minimum. Switch on power. Adjust the current I<sub>x</sub>, to 8.00 mA (10 mA max).
3. Select the DISPLAY mode to mV side. There may be offset voltage. Note it.
4. Now put the probe between pole pcs. As there is residual magnetism present, note the change in the reading of mV from set up display.
5. Now increase the electromagnet supply current I<sub>s</sub>, in steps (see table 1) and note the corresponding V<sub>h</sub> (mV) from set up display.

Table 2. I<sub>x</sub> ..... mA

*Unit constant*

I <sub>s</sub> (amp)	B <sub>z</sub> (K.Gauss from plot 1)	V <sub>h</sub> (mV)
0.00		
0.50	.....	
1.00	.....	.....
.....	.....	.....

6. Plot a curve between I<sub>s</sub> and V<sub>h</sub> for given I<sub>x</sub>. From plot find out V<sub>h</sub> and B<sub>z</sub> to calculate hall coefficient R<sub>h</sub> as given before.

For given crystal :

Type :

d : mm

b : mm

L<sub>x</sub> : mm

Hall effect - 5.

0.17.

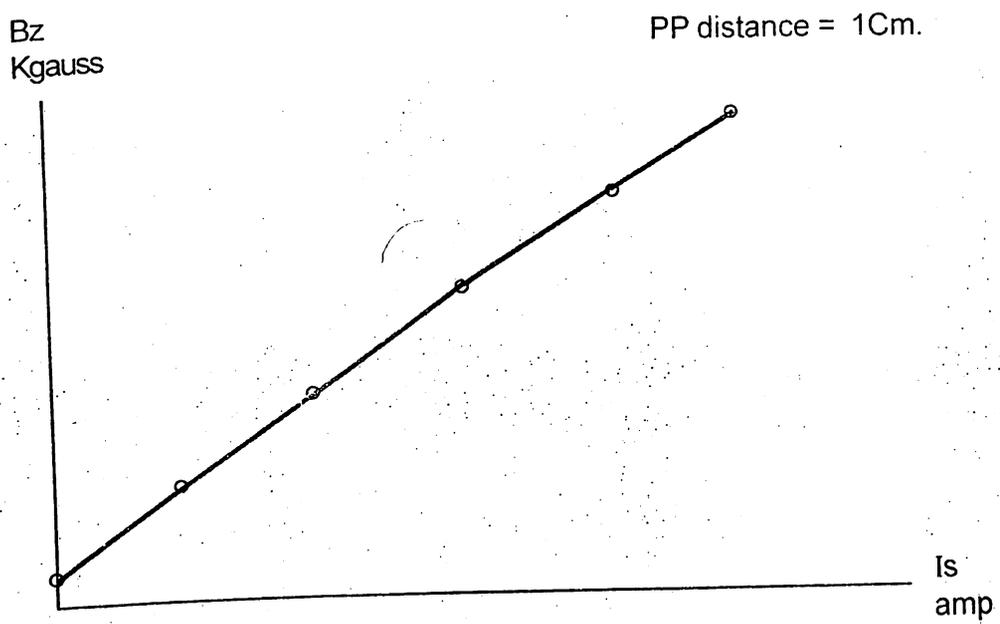
c. For hall angle measurement.

1. Adjust the supply current for magnetic field strength Bz, about 1 K.Gauss (use the plot 1 for required current).
2. Select the DISPLAY of set up for 1 mA mode. Adjust the current to 2.00 mA. Now put the hall probe between pole pcs. Note the voltage Vh by selecting display to mV. Measure the voltage across Vx terminals of set up and note it as Vx.
3. Now increase probe current to 4.00 mA and note the Vh and Vx for same Bz.
4. Increase hall current Ix to 6.00 mA and note Vh and Vx.
5. Plot a curve between Vh and Vx. Find out the slope s of the curve. Now the hall angle  $\phi = s. (Lx/b)$ .

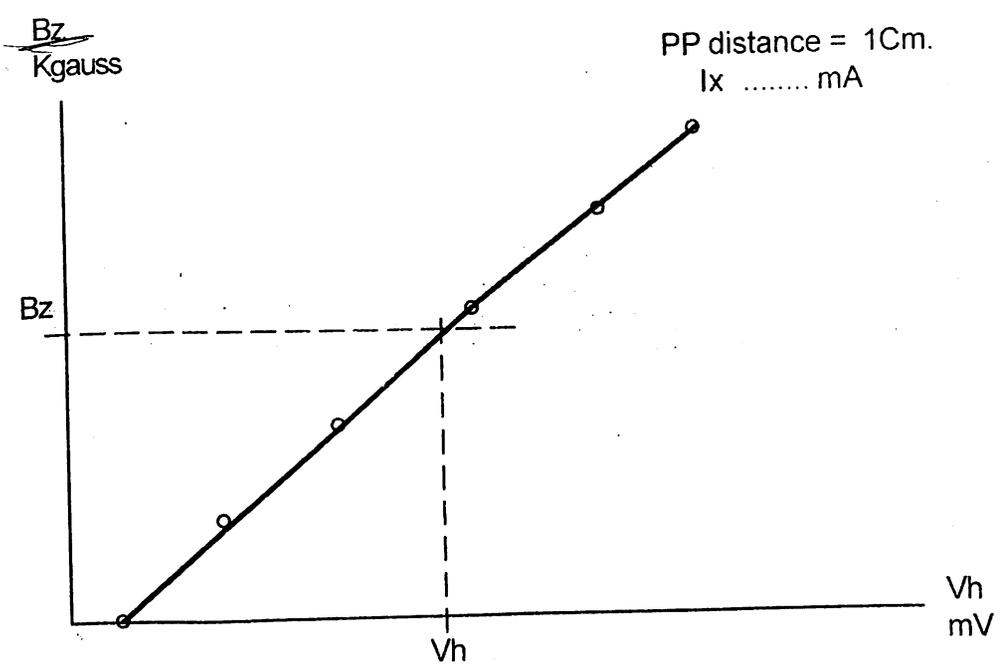
Table 3. ( Bz = 1 K.Gauss)

Ix (mA)	Vh ( mV)	Vx
2.00	.....	.....
4.00	.....	.....
6.00	.....	.....

Hall effect - 6.

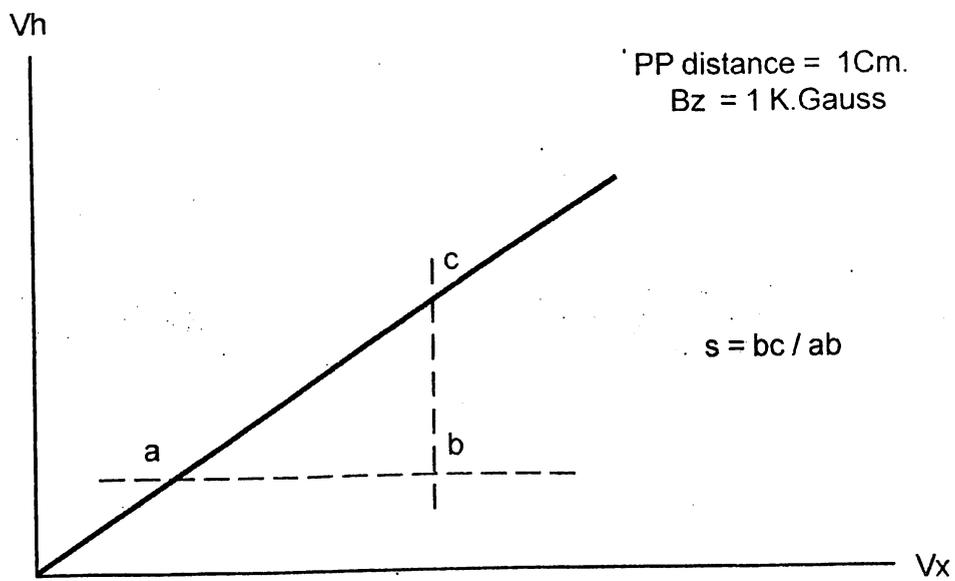
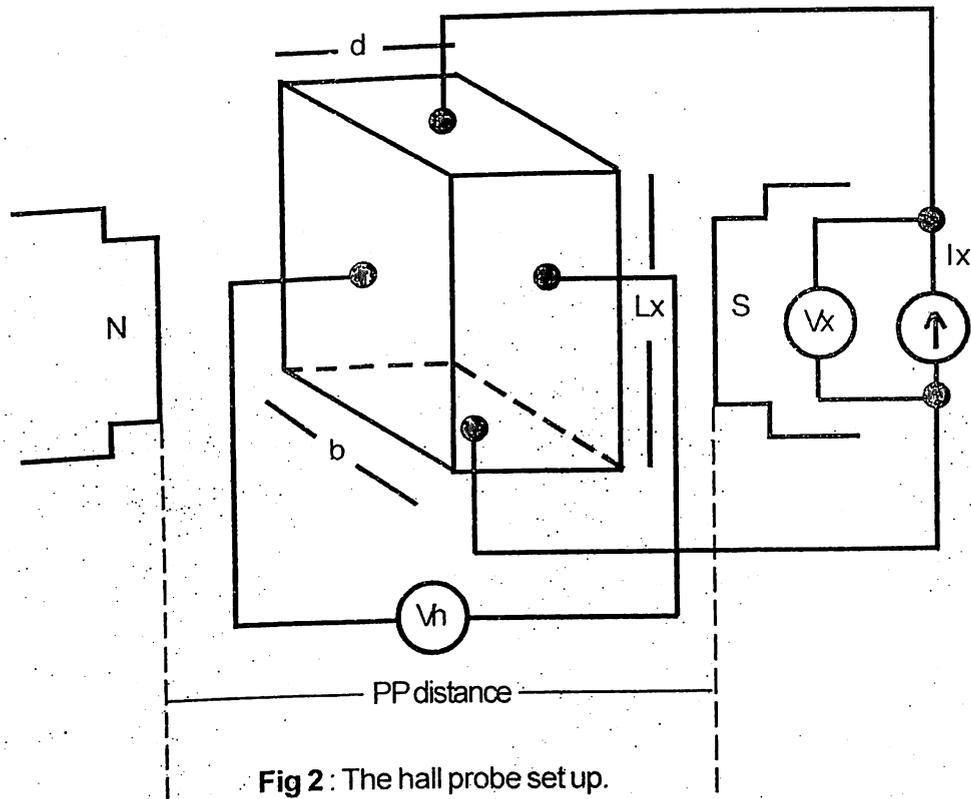


Plot 1 : Typical calibration curve for electromagnet.



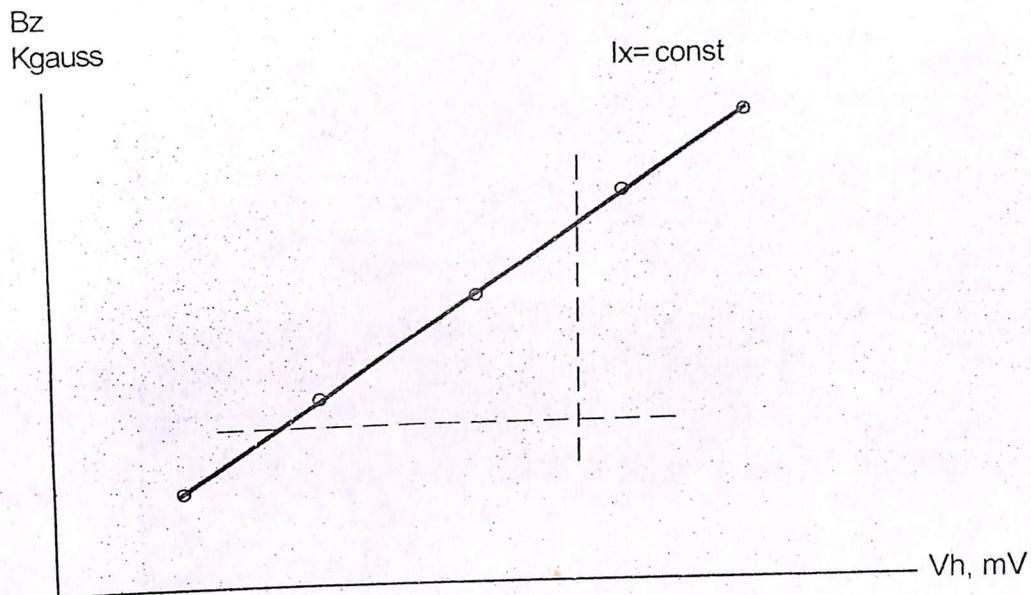
Plot 2 : Typical curve for hall experiment.

Hall effect - 7.

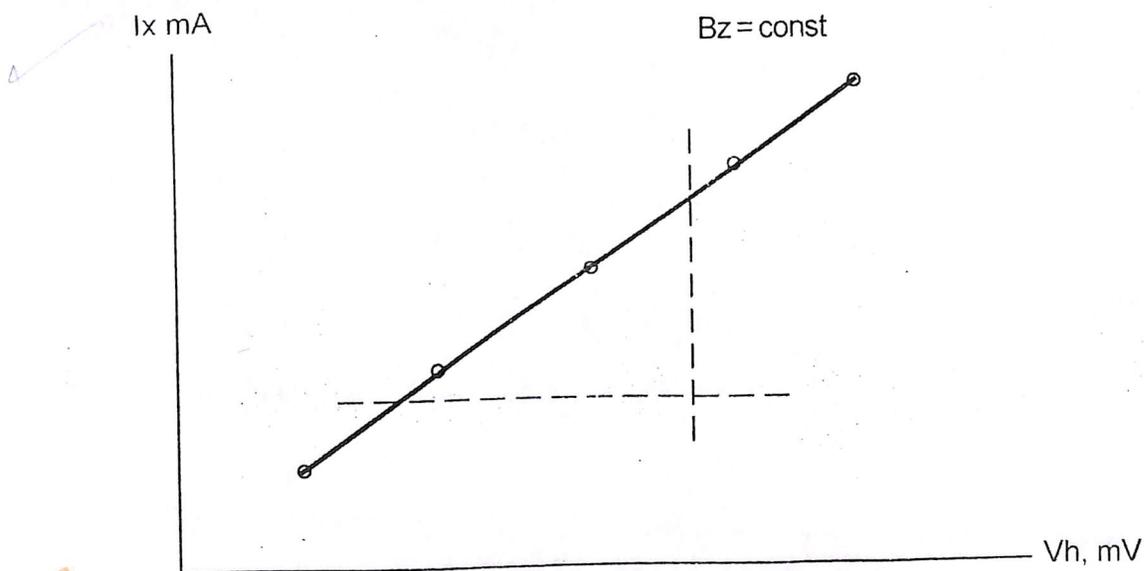


Plot 3 : Typical curve for hall angle experiment.

Hall effect - 8.



Plot 2 :  $B_z$  v/s  $V_h$  ( $V_z$ ), where  $I_x = \text{constant}$  (4mA).



Plot 3 : plot between  $I_x$  v/s  $V_h$ , while  $B_z = \text{constant}$  (1Kgauss).

*Red - current  
green - voltmeter*