

OPERATING INSTRUCTIONS

PLANCK'S CONSTANT BLACK BODY



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PLANK'S CONSTANT

(BY WEIN RADIATION LAW)

Introduction :- This experimental set up is designed to determine the Plank's constant by photo voltaic cell with the help of 'Wein's radiation law'. the set up contains one photo voltaic cell, one lamp house with tungsten lamp 6V/18W, one low voltage dc regulated power supply with digital meter, one digital microammeter.

Brief :- The intensity of radiation emitted by a black body is uniformly distributed over the whole range of wavelength involved, as the metal heated to incandecent level. At various temperatures not only the energy increases but the wavelength of maximum energy (λ_{max}) moves to the region of shorter wavelength. Analysis of this phenomenon shows that the, $\lambda_{\text{m}}T = \text{constant}$. Wein's apply the principle of thermodynamics to the black body radiation and say that 'as the temperature rise, the maximum intensity of radiation emitted, shifts towards shorter wavelengths' hence it becomes the 'Wein's law of energy distribution'.

The value of h , is calculated by following relation

$$h = (e)(\lambda_{\text{m}} T)(Vs T)/c \quad 1$$

$h = 6.625 \times 10^{-34} \text{ J s}$, is the planck constant

$e = 1.6 \times 10^{-19} \text{ col}$, the electronic charge

$c = 3 \times 10^8 \text{ m s}^{-1}$, the free space velocity of light in free space

$\lambda_{\text{m}} T = 2.9 \times 10^{-3} \text{ m } ^\circ\text{K}$, the wein displacement with λ_{m} , as the wavelength corresponding to constant photons of maximum energy emitted by a black body at temperature T , in $^\circ\text{K}$ (absolute temperature).

Planck constant by wein radiation law - 2.

$V_s T$ = can be termed as stopping potential of photoelectric current at certain temperature T .

T $^{\circ}\text{K}$ is temperature of black body radiation so incandecent lamp serve the purpose. In present case in the temperature $^{\circ}\text{C}$ is such that

$$T_0 \text{ } ^{\circ}\text{K} = t \text{ } ^{\circ}\text{C} + 273. \quad 2$$

The lamp filament temperature is calculated by following relation empirically known parabolic relation between t $^{\circ}\text{C}$ and resistance R_t ohms.

$$R_t = R_0 (1 + 0t + bt^2) \quad 3$$

where R_0 is resistance at zero $^{\circ}\text{C}$, b is a coefficient for tungston

$$b = 7.00 \times 10^{-7} \text{ } ^{\circ}\text{C} \quad 4$$

An empirical relation exists for determining the temperature R_0 is

$$R_0 = R_g / 3.9 \quad 5$$

where R_g is the resistance where filament just glow to visualize red, but no or feeble photocurrent generated. The temperature R_t is than calculated using empirical relation

$$R_t/R_0 = [T / (273 + T_0)]^{(1.2)}, \text{ in } ^{\circ}\text{K} \quad 6$$

The photocell has very low work function, and used to evaluate the $V_s T$, by measureing photocurrent as I_p and computed by computing terminating resistor ($10\text{K}\Omega$). As the photocurrent can be multiply by the meter resistance R_m ($10\text{K}\Omega$), to give the V_s directly so relation 1 can be rewritten as

$$V_s T = IR = (I_p^* \times 10^{-6}) \times (10.0 \times 10^3) \quad \text{or simply } I_p\# \times 10^{-2}. \quad 7$$

where I_p^* is corosponding photocurrent in microamp. $I_p\#$ is direct read value.

Experiment procedure

1. Place the lamp house, photo cell mount close to supply cabinate. Connect them with their respective sockets. Keep DC supply at minimum. (See illustration at page 5). Switch on power.

2. Slowly increase the power supply , for light glow of filament#. Note the corosponding voltage (1.00V app), V_g & I_g after 5 minute (select dpm switch for V & I alternately).

3. Calculate the filament resistance R_g^* using Ohm's law $R_g = V_g/I_g$.

Note : R_g is lamp resistance at just glow condition for no or feeble photocurrent.

Compute lamp resistance for 0°C temperature as $R_0 = R_g / 3.9$.

4. Set lamp voltage 3.00V. Note the current for lamp I_t after 3 to 5 minutes, and voltage V_t . Increase the dc power supply in 1V steps. Note each reading after 3 to 5 minute to stablize temperature of filament.

5. Tabulate the readings. Compute R_t/R_0 and finally temperature $T^\circ\text{K}$ (eq 6) or use a graph from given precalculated values in table 4.

6. Compute $\lambda_m T$ for given temperature $T^\circ\text{K}$, $= (2.9 \times 10^{-3}) / T^\circ\text{K}$.

Compute $V_s T$ from the observation $= (I_p \times 10^{-6}) \times (10 \times 10^3)$ volt.

7. Compute h , for each set. Deduce mean value.

Note : A graph can be plotted from given table 3 & 4 to find out the transient wave-length and absolute temperature.

In this case very less ($< 1 \mu\text{A}$) or no photocurrent generated.

Note : It is quite complex to decide the R_0 . However two or three close approximation can be experimented by adjusting voltage within $\pm 0.1\text{V}$.

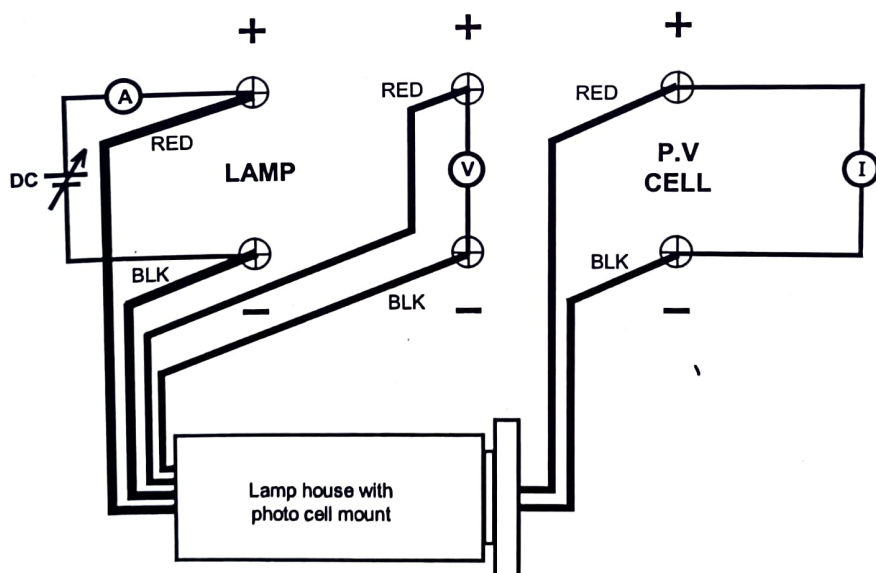
Planck constant by wein radiation law - 5.

Table 3.

T°K	500°K	1000°K	1500°K	2000°K
$\lambda_m T(m)$	58×10^{-7}	29×10^{-7}	19.3×10^{-7}	14.5×10^{-7}

Table 4.

Rt/R ₀	1	1.5	2	2.5	3	3.5	4	4.5
T°K	273°K	383°K	486°K	586°K	682°K	775°K	867°K	956°K
Rt/R ₀	5	5.5	6	6.5	7	7.5	8	8.5
T°K	1044°K	1130°K	1215°K	1300°K	1382°K	1463°K	1544°K	1624°K
Rt/R ₀	9	9.5	10	10.5	11	11.5	12	12.5
T°K	1704°K	1782°K	1860°K	1937°K	2014°K	2090°K	2165°K	2240°K



Planck constant by wein radiation law - 4.

Table 1.

Sr No.	V, volt	I, Amp	Rt, Ω	Rt/R ₀	T °K	
1	3.00V	
2	4.00V	
3	5.00V	
4	6.00V	

Table 2.

Sr No.	T °K	$\lambda_m T$		Vs T
1
2
3
4